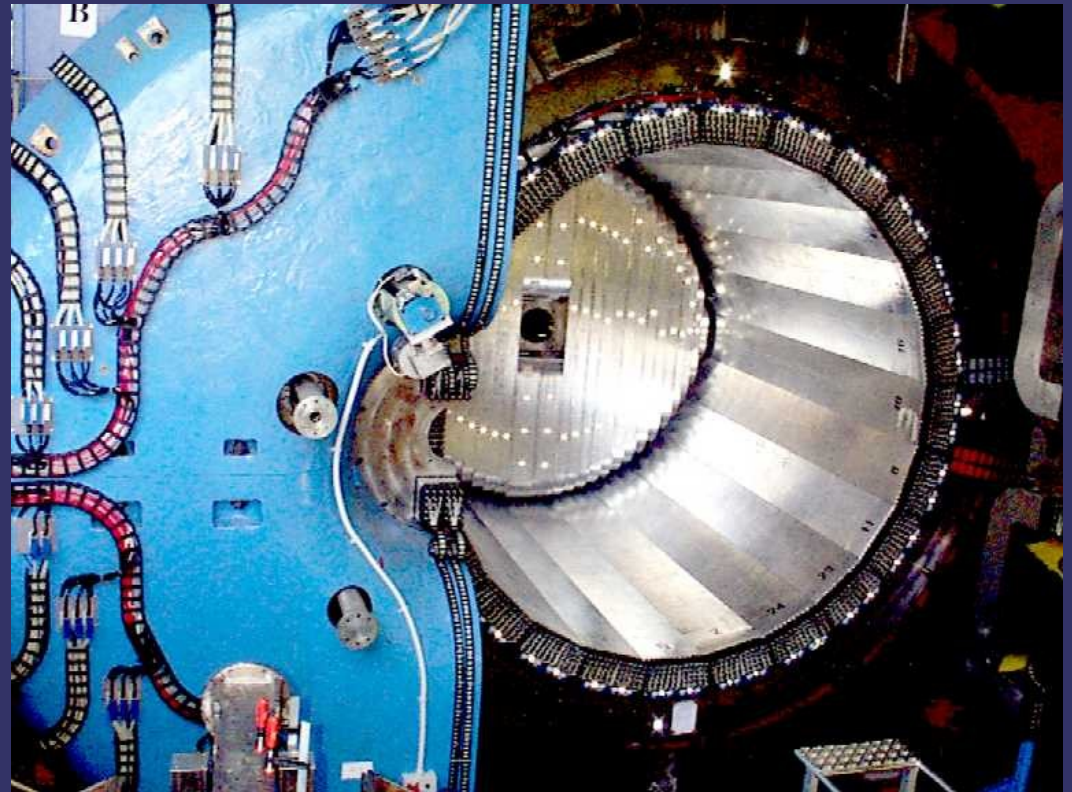


# KLOE CALORIMETER

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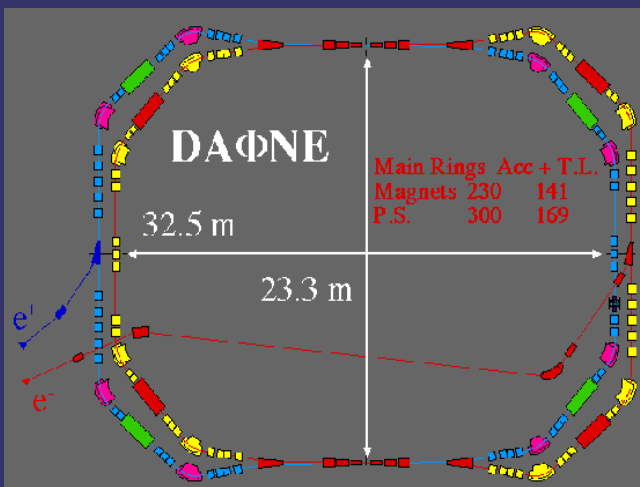
# Outline

- ⇒ The KLOE experiment;
- ⇒ Calorimeter description;
- ⇒ Calibration;
- ⇒ Performances;
- ⇒ Physics results



# DAΦNE and KLOE

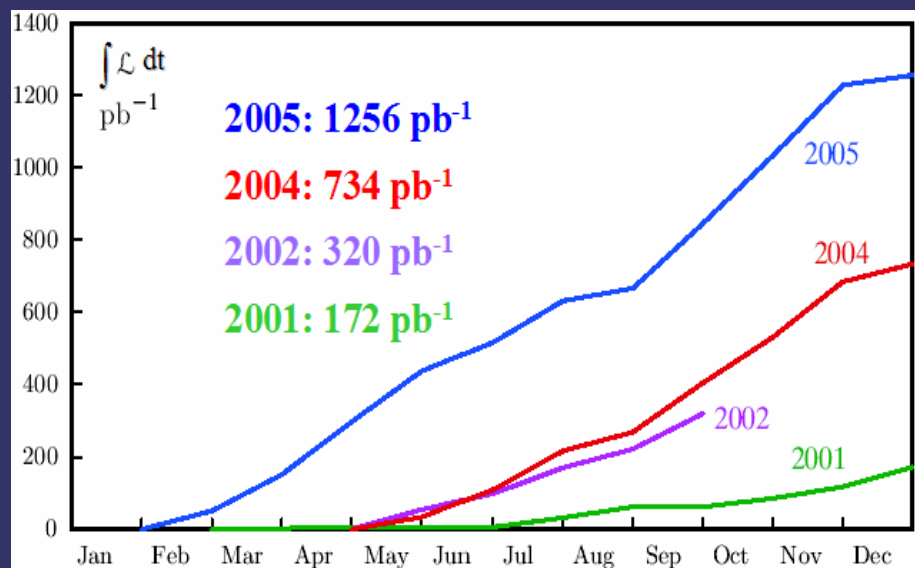
High luminosity  $e^+e^-$  collider



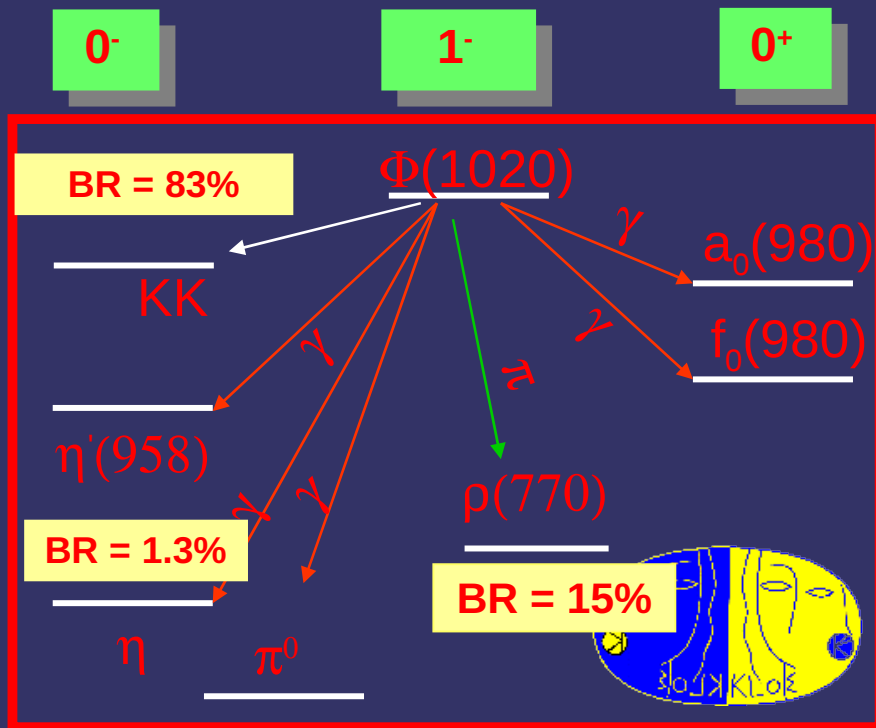
- $\sigma(e^+e^- \rightarrow \phi) \sim 3 \mu\text{b}$        $\sqrt{s} = m(\phi) = 1019.4 \text{ MeV}$
- Independent  $e^+e^-$  rings to reduce beam-beam interactions
- crossing angle: 25 mrad,  $p_x(\phi) \sim 12.6 \text{ MeV}/c$
- Bunch crossing every 2.7 ns
- injection during acquisition

Collected luminosity ( $2.5 \text{ fb}^{-1}$ )

$L_{\text{peak}} = 1.4 \times 10^{32} \text{ cm}^{-2}\text{s}^{-1} L_{\text{int}}/\text{day} = 8.5 \text{ pb}^{-1}$

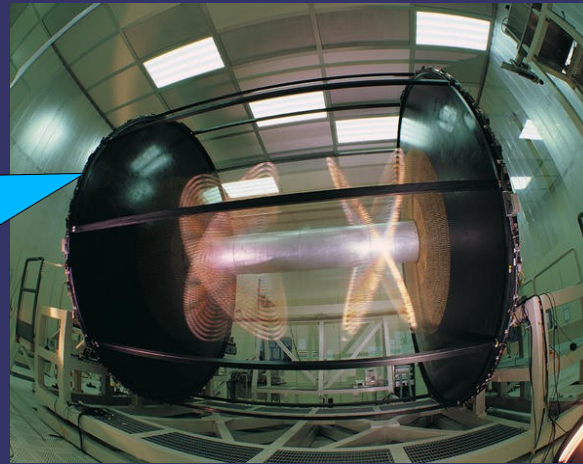
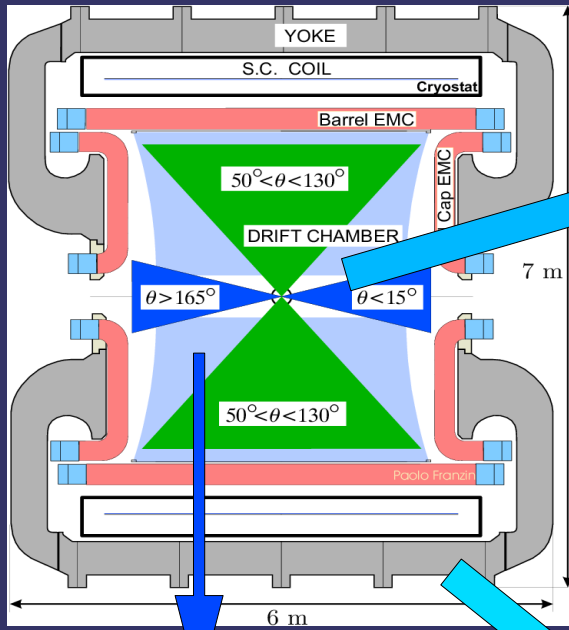


## Main $\phi$ decays



# The KLOE Detector

## Detector scheme



### Cylindrical Drift Chamber

Stereo wires structure to reconstruct longitudinal position

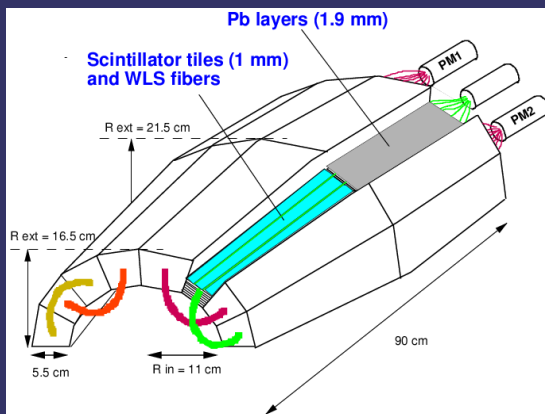
52140 wires – 12582 drift cell  
90% He 10%  $iC_4H_{10}$

$$\sigma_{vtx} = 1 \text{ mm} \quad \sigma_{pt} / p_t = 0.5\%$$

$$\sigma_{r,\phi} = 200 \text{ } \mu\text{m} \quad \sigma_z = 2 \text{ mm}$$

Magnetic yoke before installation.

### Small angle calorimeter



0.5 T magnetic field  
Cryogenic coil working at 4.2 °K  
Coil current 2300 A

Efficiency 20 – 90 %  $E_{ne}$  26-125 MeV  
 $\sigma_t = 240 \text{ ps}/\sqrt{E} \text{ (GeV)}$   
covered angle 23°



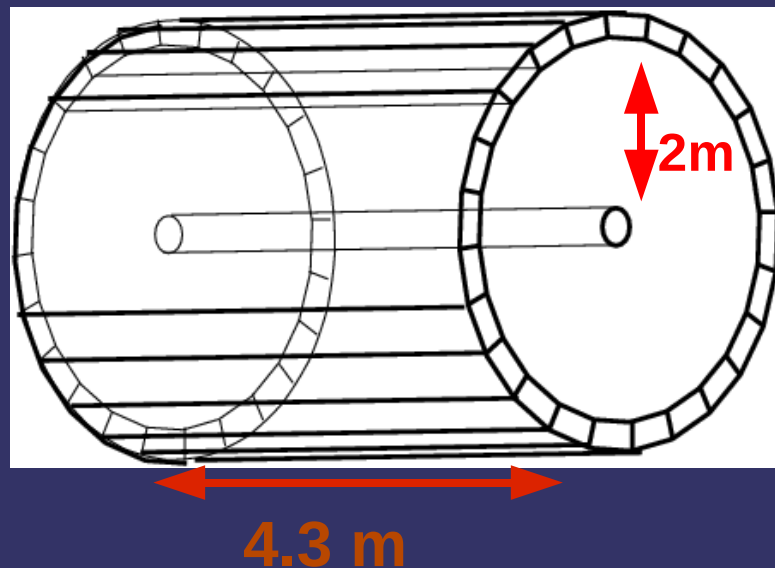
# The KLOE Calorimeter

## Barrel

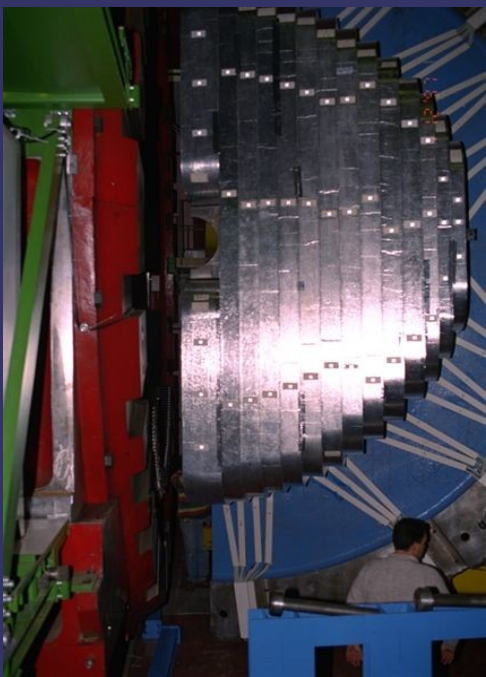


- 1 barrel + 2 end-caps
- Barrel 24 modules
- End-caps 30 modules
- 98% solid angle coverage

## Calorimeter size



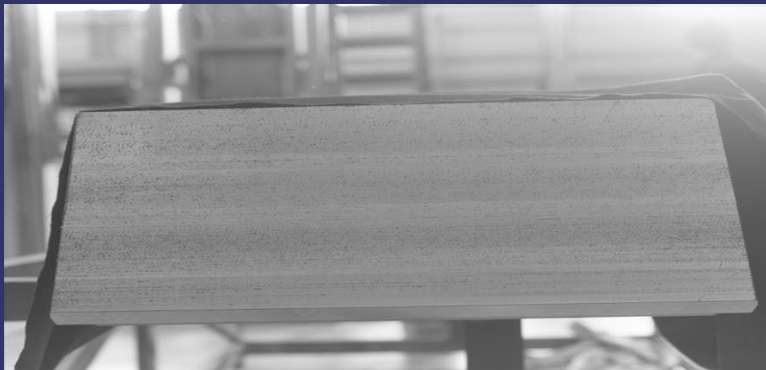
## End-cap half module



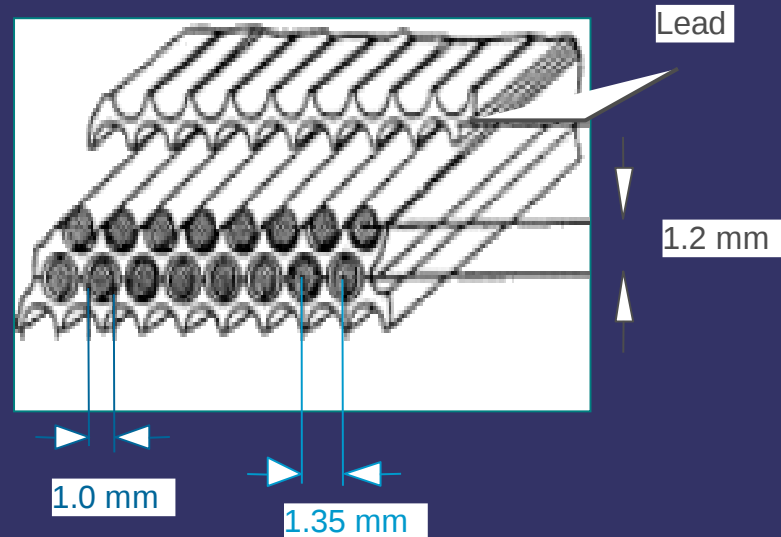
# Module structure

Spaghetti calorimeter: Lead scintillating fibers structure

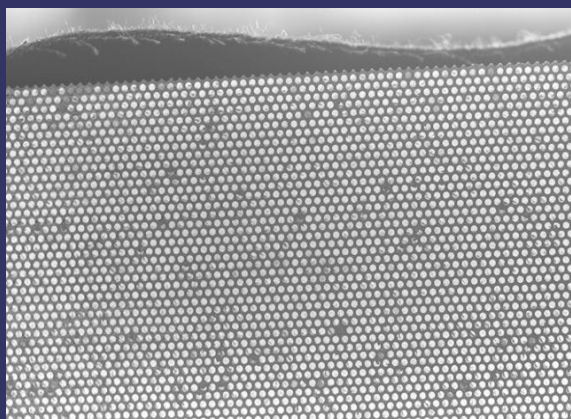
## 1 Module



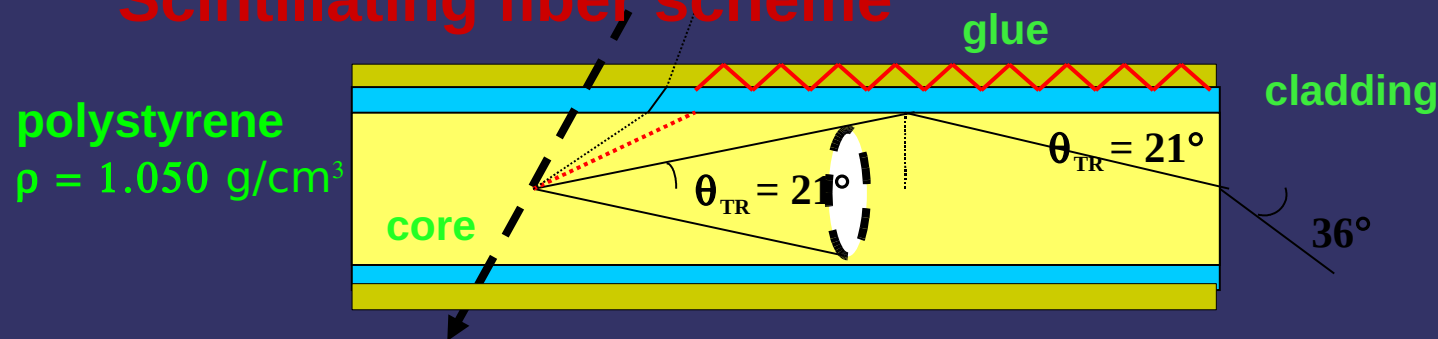
## Fiber structure scheme



## Detail of the calorimeter PM side surface



## Scintillating fiber scheme



polystyrene  
 $\rho = 1.050 \text{ g/cm}^3$

$n(\text{core}=\text{polystyrene}) = 1.60$  Diameter 1 mm

$n(\text{cladding}=\text{PMMA}) = 1.49$  emitting light:

$n(\text{glue}) \sim n(\text{core})$

blue-green region

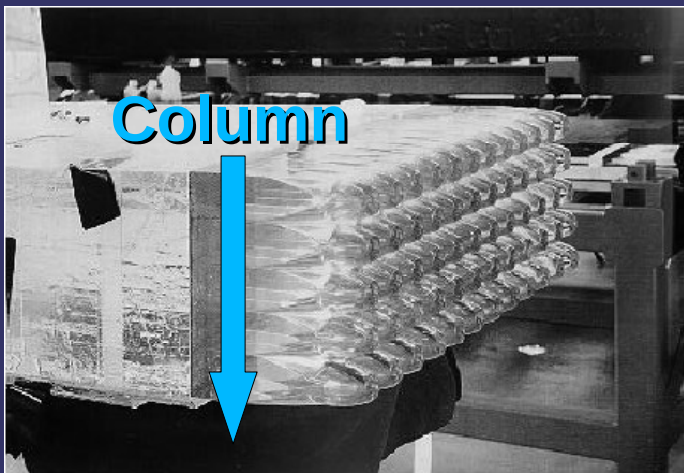
$\lambda(\text{attenuation length}) = 4.5 \text{ m}$   $\lambda_{\text{peak}} \sim 460 \text{ nm}$



Fibers used: Kuraray SCSF-81

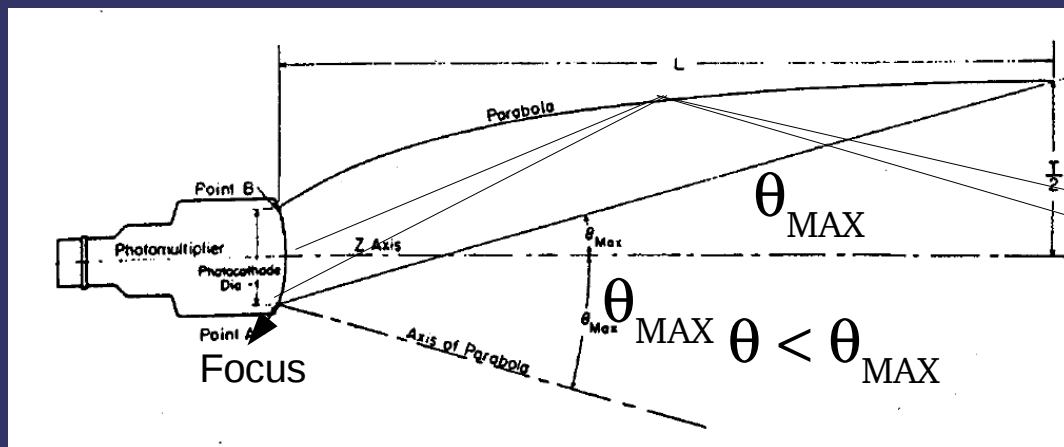
Pol.Hi.Tech. 00046 15.000 km of fibers

# READ OUT SYSTEM



Plexiglas light guides ( $n=1.6$ )  
Length 20 cm

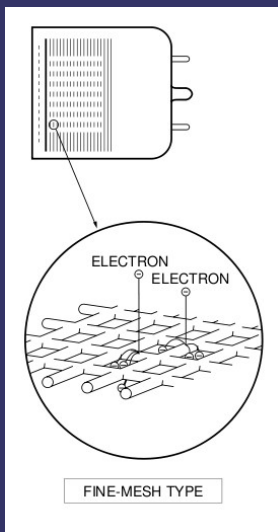
Read out cell  $4.4 \times 4.4 \text{ cm}^2$   
Geometry: Winston cone.



Fine-mesh photo multipliers (1.5')  
Hamamatsu R5960

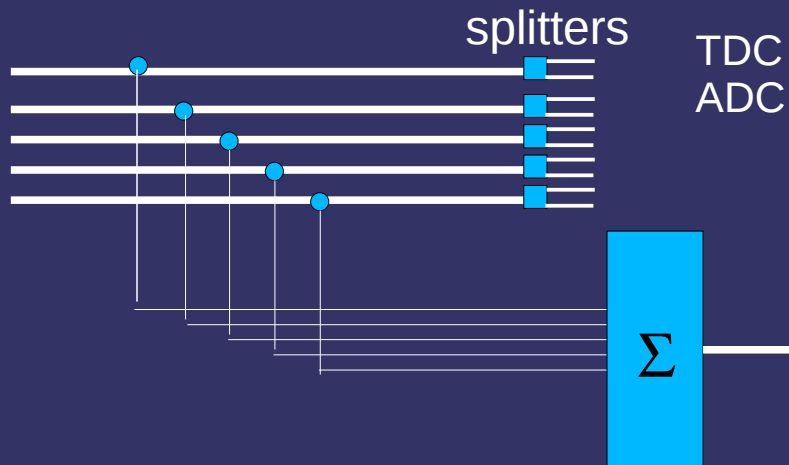
Working field:  $B = 0.1 - 0.2 \text{ T}$ ,  $0^\circ < \theta < 30^\circ$

Fine-mesh  
dynode



## Splitting and summing circuit (SDS)

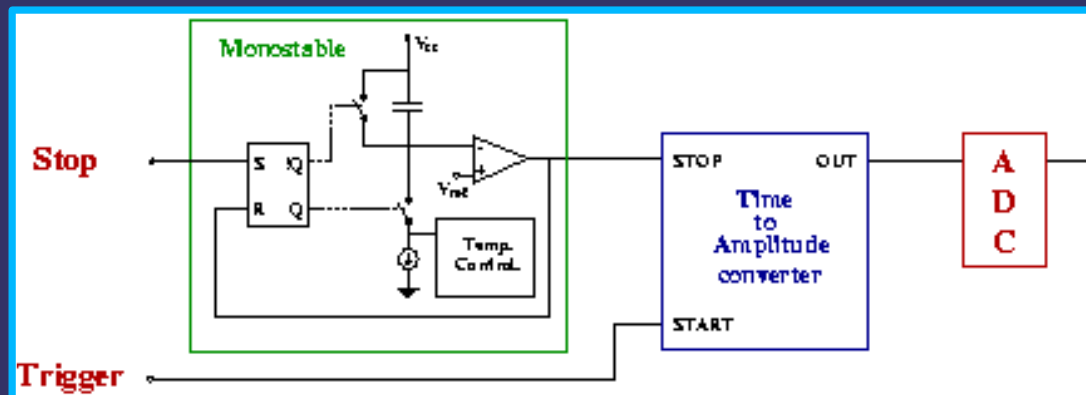
PMT signal 1 column



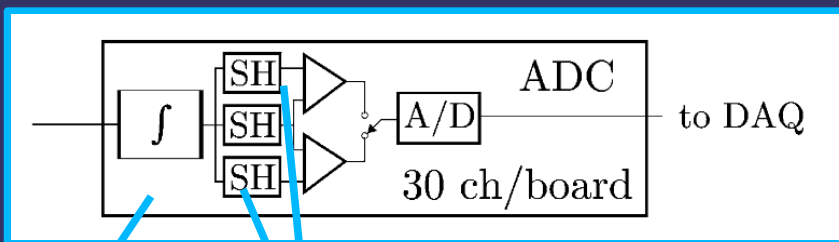
# TDC and ADC scheme

The signal precedes the trigger of  $\sim 220$  ns (monostable is used to delay discriminated signal)

TDC full scale 220 ns (need to acquire low  $\beta$  Kaons)

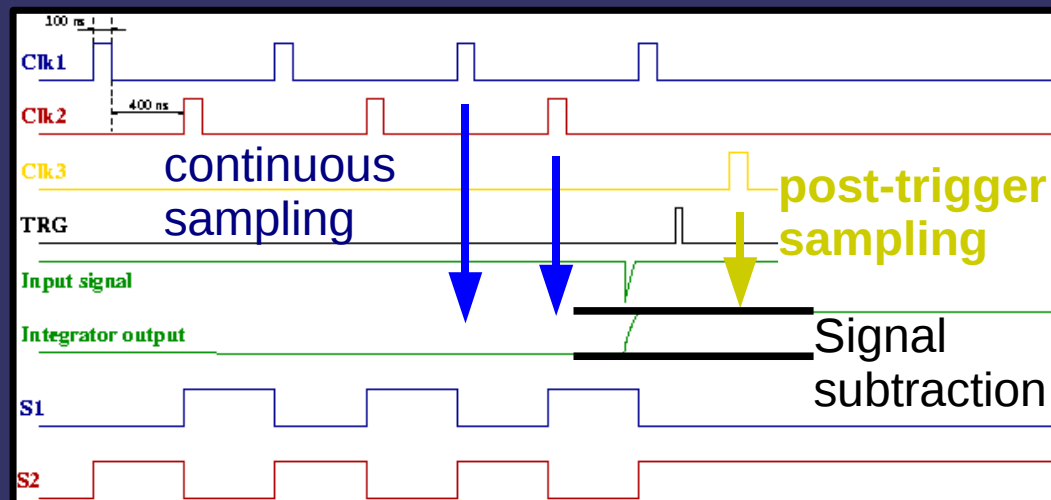


To avoid a too long delay line the ADC works in continuing acquisition.



Large decay time integrator

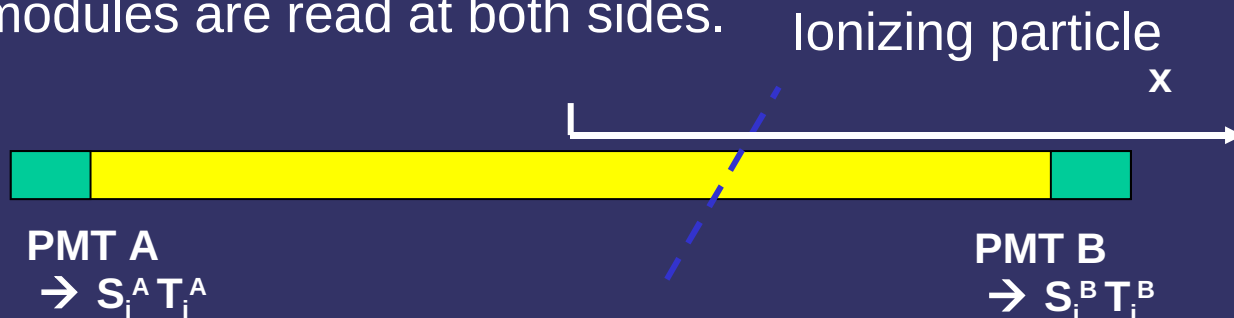
Continuous signal sampler with a 900 ns period.





# Energy and time measurement

The modules are read at both sides.



$T^{A,B}$  time at side A,B

$S^{A,B}$  charge collected at A,B

$$E_i^{A,B} = \frac{S_i^{A,B} - S_{o,i}^{A,B}}{S_{M,i}^{A,B}} \times K_E$$

Pedestal charge  
(determined with fake trigger signals at each triplet)

MIP charge measured with a dedicated cosmic rays run at the beginning of DATA taking.

Absolute calibration constant determined using  $e^+e^- \rightarrow \gamma\gamma$  (510 MeV clusters) run by run (24000 events).

$$E_i (\text{MeV}) = \frac{E_i^A A_i^A(x) + E_i^B A_i^B(x)}{2}$$

Attenuation factor  
(determined using cosmic rays run at the beginning of DATA taking period)

Triplet: calibration runs performed each 3-4 days of data taking

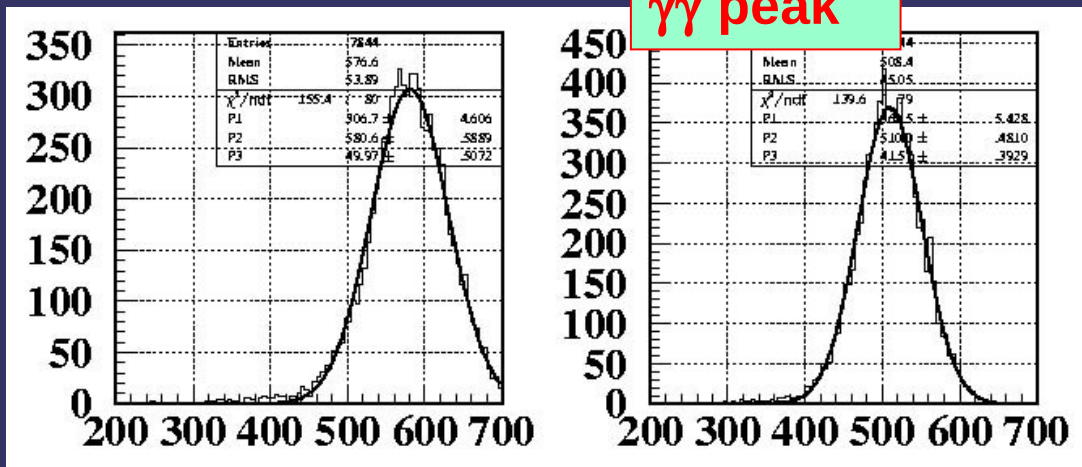


# Energy scale calibration

$$e^+e^- \rightarrow \gamma\gamma$$

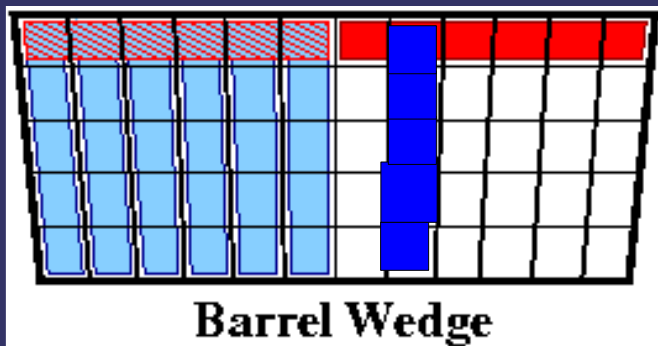
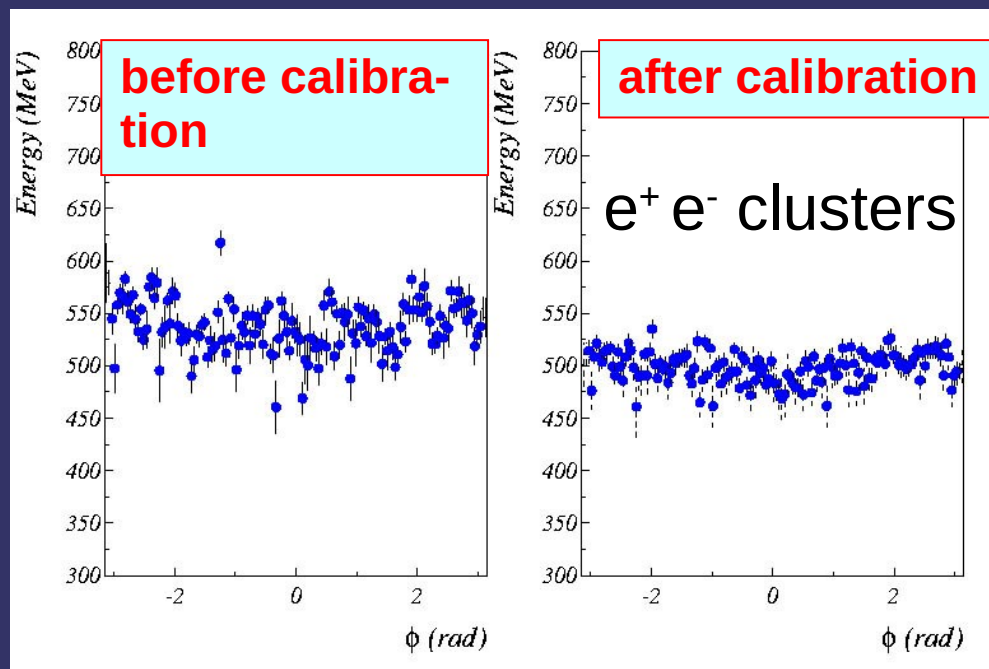
$\gamma\gamma$  peak

The  $k_E$  constant is evaluated each 200 nb<sup>-1</sup> of data by imposing  $M_\phi/2$  on the  $\gamma\gamma$  peak. Error is ~1% on barrel and 2% on endcaps.



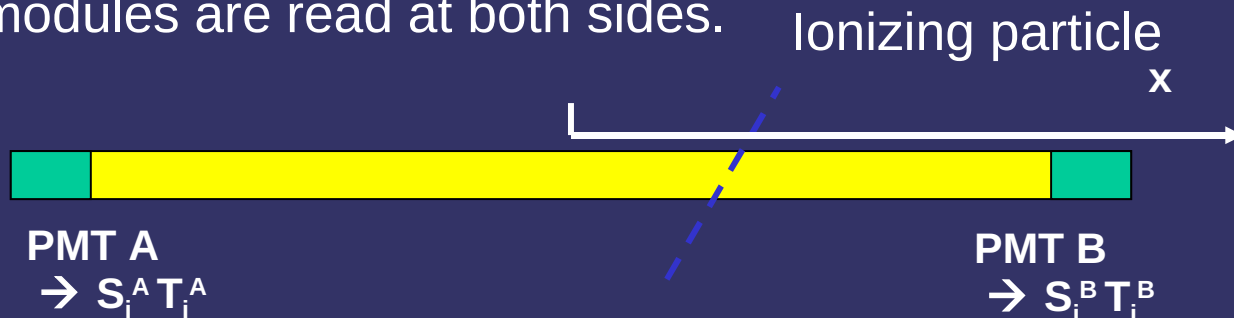
$$e^+e^- \rightarrow e^+e^-$$

Run by run PM gain variations are corrected on a **column-by-column** basis requiring uniform response to  $e^+e^-$  clusters from Bhabha events.



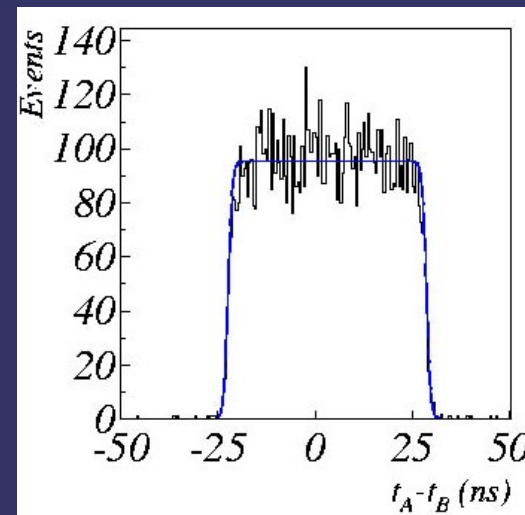
# Time measurement <sub>1/2</sub>

The modules are read at both sides.



$T^{A,B}$  TDC counts at side A,B  
 $S^{A,B}$  charge collected at A,B

Distribution from triggered cosmic rays



$$t_i^{A,B} [\text{ns}] = c_i^{A,B} (T_i^{A,B} - T_{0,i}^{A,B}) [\text{tdc counts}]$$

$$t_i = \frac{t_i^A + t_i^B}{2} - \frac{t_{0,i}^A + t_{0,i}^B}{2} - \frac{L}{2v} - t_o^G$$

$$z_i (\text{cm}) = \frac{v}{2} \left[ (t_i^A - t_i^B) - (t_{0,i}^A - t_{0,i}^B) \right]$$

Module length

Measured using t-r/c run by run

Light velocity in fiber (calibrated using cosmic rays at each triplet)

TDC time offset: calibrated cell by cell using cosmic rays at each triplet, and on a column basis using  $e^+e^- \rightarrow \gamma\gamma$

**Allows to reconstruct Z**

**1<sup>st</sup> step**  
 Determination of  $t_o^A - t_o^B$  from mean of this distribution  
 Determination of  $v$  from width (+ module length)

# *Time calibration* cosmic rays

Using the cosmic rays data-set

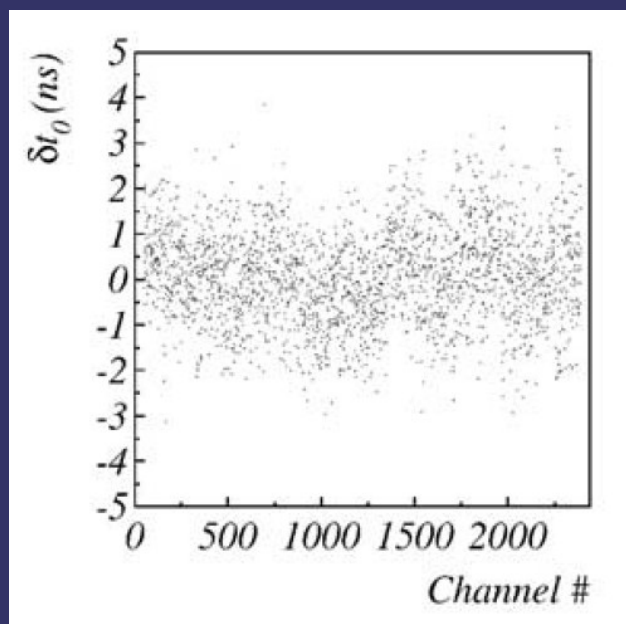
- Select cosmic rays  $>7$  GeV/c
- use all cells connected to the 2 clusters to find  $\cos\theta$  of the track.
- assume the particle is moving downward at light velocity for each cell

$$t_i = t_{i,0} + Y_i / v_y \quad (v_y = c \cdot \cos\theta)$$

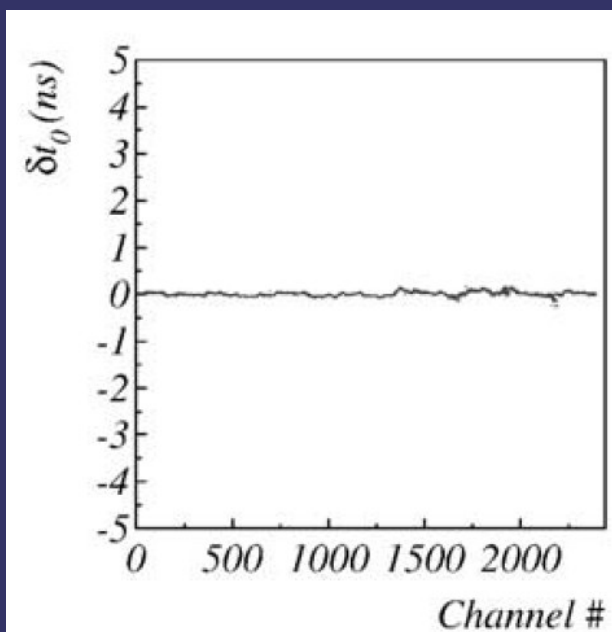
get  $t_{i,0}$  residual

- use average cell residuals over the run to correct next iteration
- 10 iterations.
- Final stat. error on  $t_{i,0}$  is  $50 \div 80$  ps according cell illumination

**At 1<sup>st</sup> iteration**



**At last iteration**

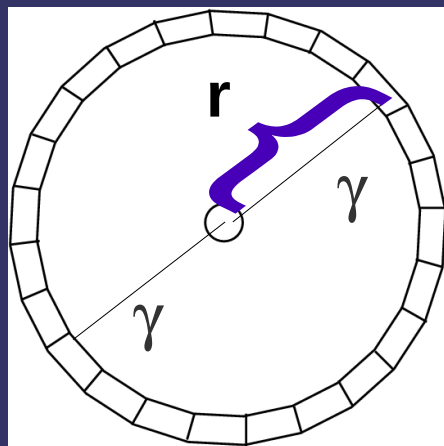
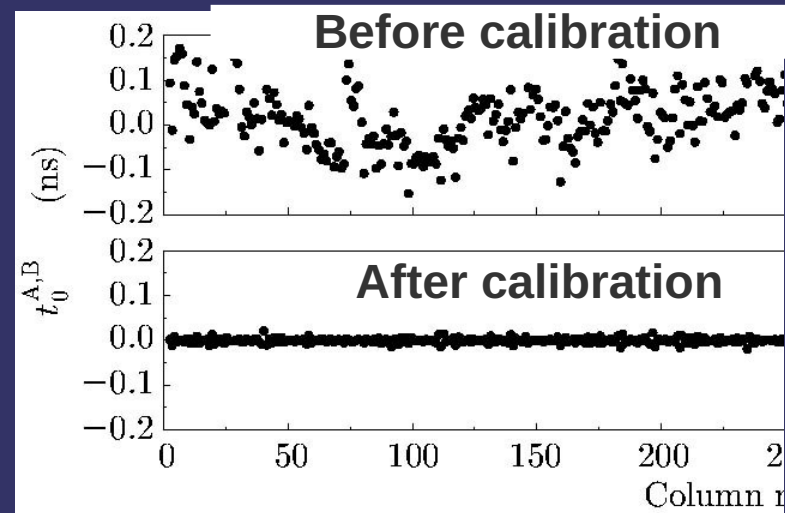


# Time calibration $e^+ e^- \rightarrow \gamma\gamma$

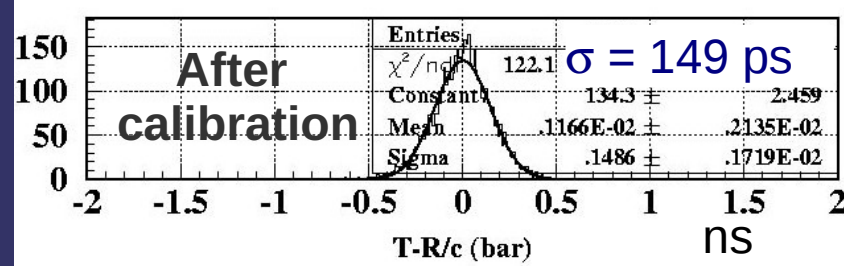
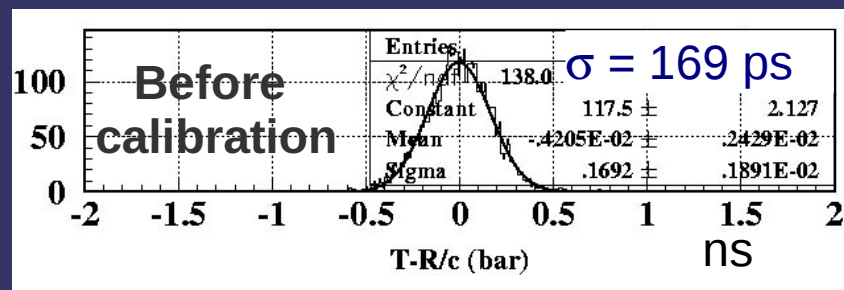
Calibration performed run by run on a **column by column** basis imposing time of flight of photons to inter-calibrate time response  $t_0^A, t_0^B$

- 1)  $t - R/c$  for each  $\gamma$  cluster is computed;
- 2) the residual is applied as a correction for next iteration;
- 3) convergence obtained after 3 iterations;
- 4) statistical error at level of  $\pm 20$  ps;
- 5) Allow compensation of calibration drifts before cosmics recalibration.

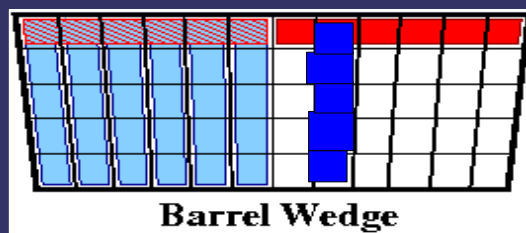
column by column  $t_0$



Distribution on the whole barrel

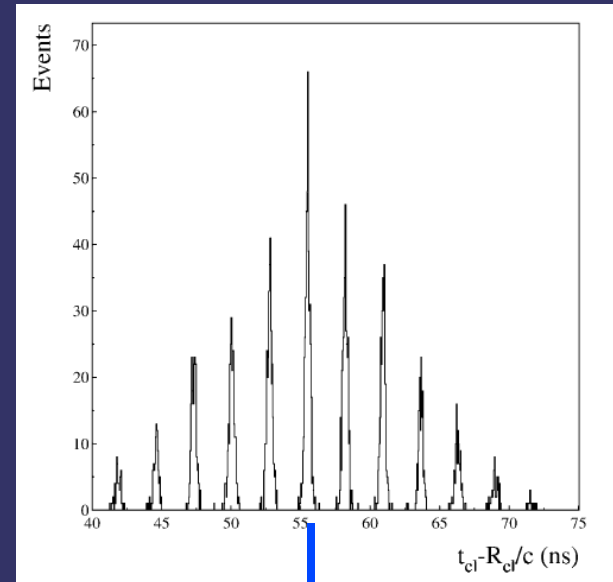
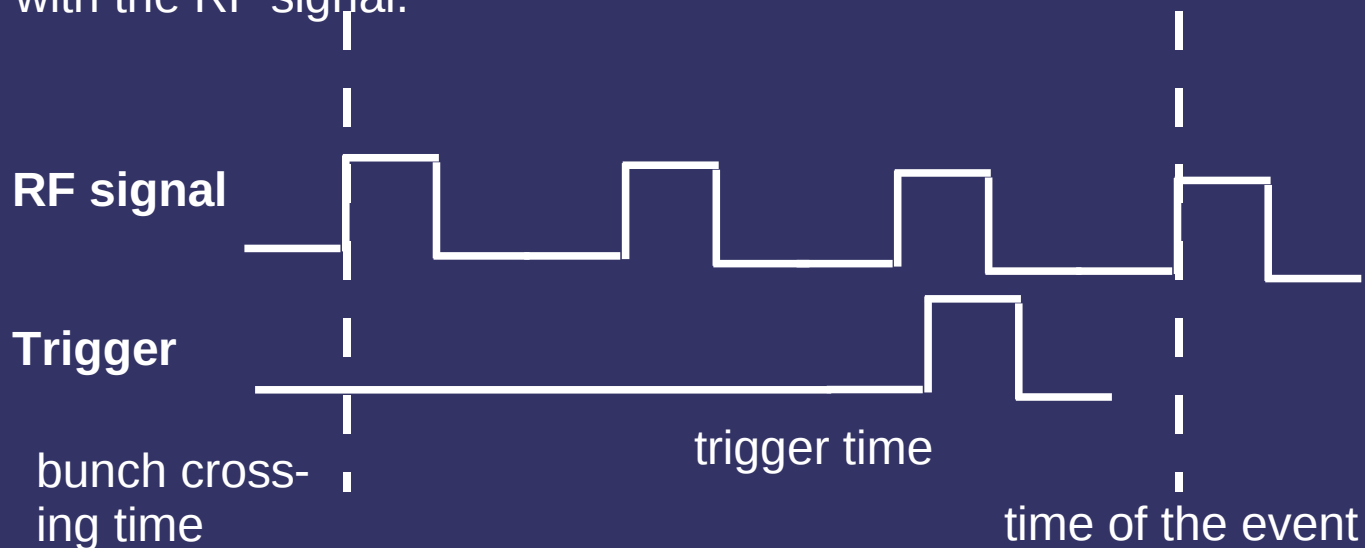


The correction is applied to all cells of the same column

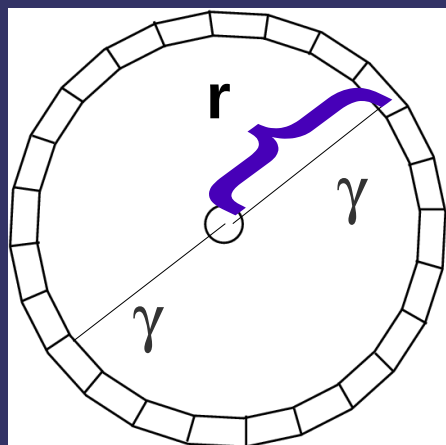


# $t_0^G$ determination $e^+ e^- \rightarrow \gamma\gamma$

In order to not spoil time resolution trigger is synchronized with the RF signal.



Set  $t_0^G$ , correct bunch crossing is determined at analysis level.

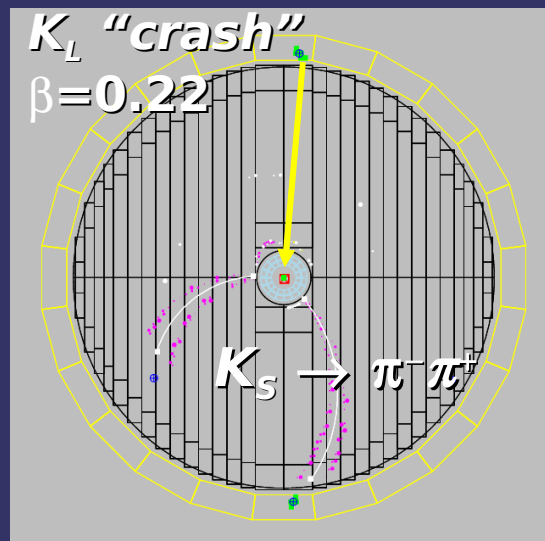


After all corrections

$$t - r/c = nT_{RF}$$

$$n = \text{Int}[(t - r/c)/T_{RF}]$$

$$T_{RF} = 2.715 \text{ ns}$$



After all corrections

$$t - l_{\text{trk}}/v_{\pi} = nT_{RF}$$

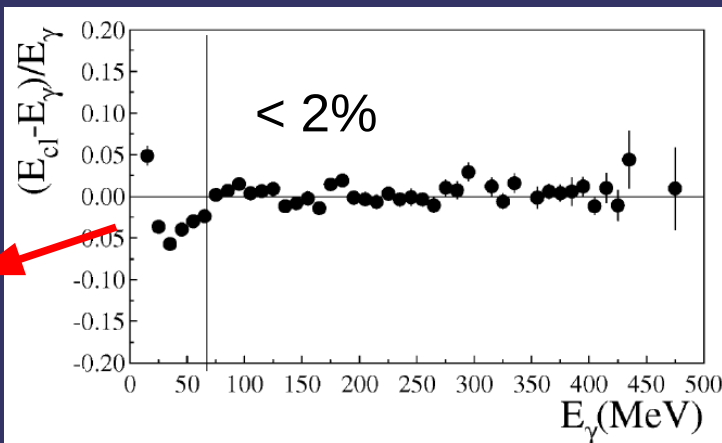
$$n = \text{Int}[(t - l_{\text{trk}}/v_{\pi})/T_{RF}]$$



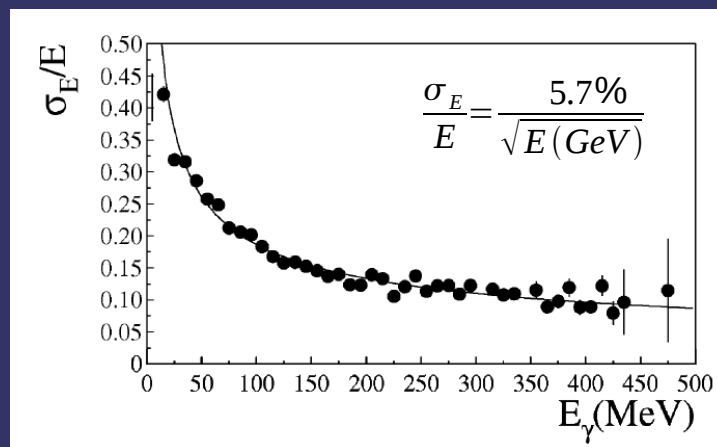
# Calorimeter performances

Energy response measured using  $e^+e^- \rightarrow e^+e^-\gamma$   
 $\gamma$  energy  $E_\gamma$  from  $e^+e^-$  momenta.

Linearity



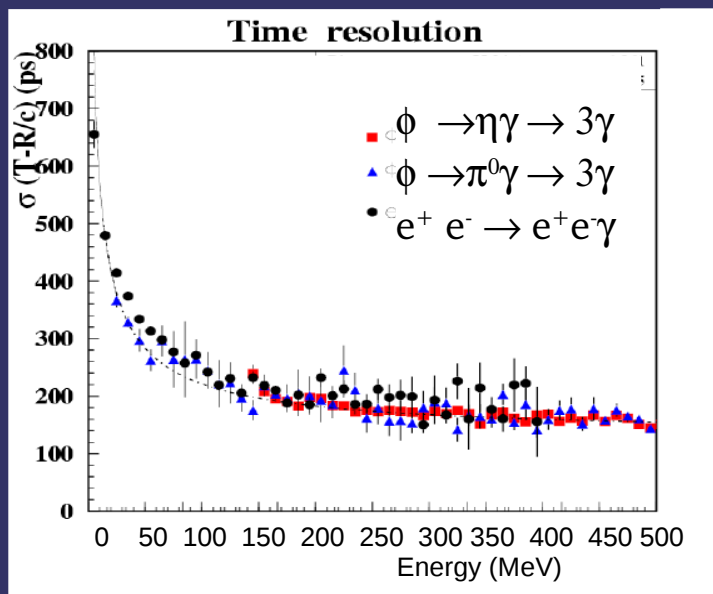
Energy resolution



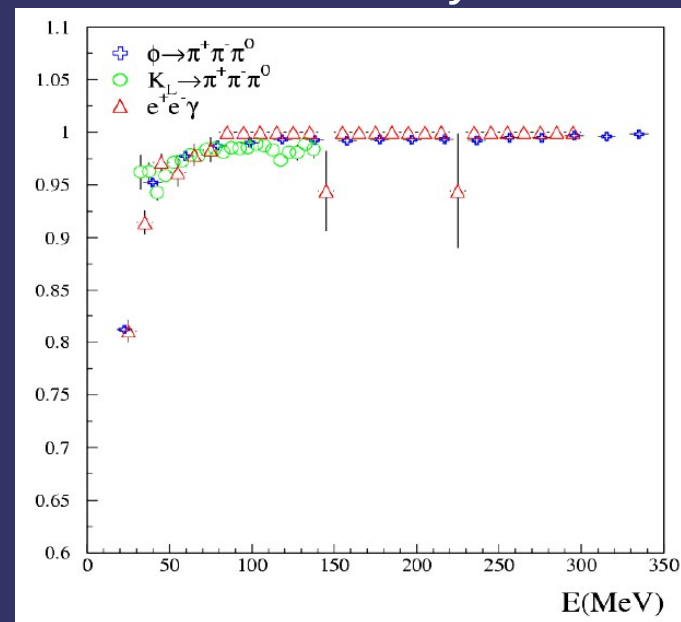
$E_\gamma$  computed from kinematic fit

$$\sigma_t = \frac{54 \text{ ps}}{\sqrt{E(\text{GeV})}} \oplus 140 \text{ ps}$$

50 ps inter-calibration  
 130 ps bunch length  
 and coincidence jitter.



efficiency



# Analysis technique full neutral events at IP

- Excellent time resolution and azimuthal angular resolution 5 mrad ( $\sim 1 \text{ cm} / 200 \text{ cm} \sim$ )
- $\phi$  momentum measured run by run from  $\sim 40000$  Bhabha events (60 keV stat. error on  $\sqrt{s}$ – absolute calibration performed using  $m_\phi$  from CMD-2)

constrained fit



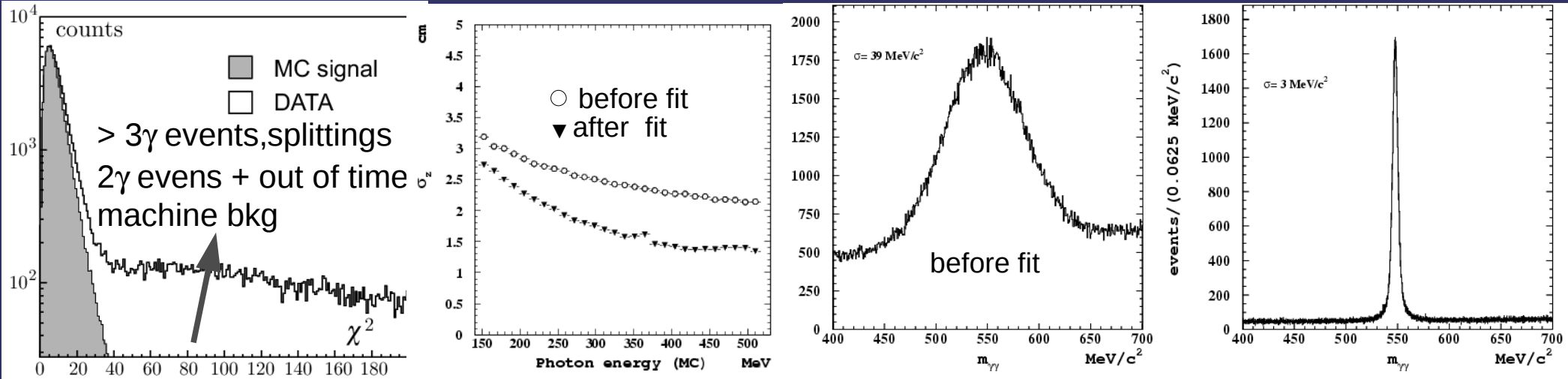
Photon TOF  
Energy momentum conservation

•  $\chi^2$  Powerful discriminating variable

• Fitted energy – insensitive to the calorimeter energy scale ( $\sigma_{\text{Efit}} \sim 1/20 \sigma_E$ )

• Longitudinal cluster position improved by a factor 2

$\phi \rightarrow (\eta, \pi^0) \gamma$



JHEP-12 (2007) 073 :

$m_\eta = 547.874 \pm 0.007 \pm 0.029 \text{ MeV}$   
 $< 10^{-5}$  syst. error calorimeter energy scale and linearity  
 $3 \times 10^{-5}$  syst. error from module position knowledge





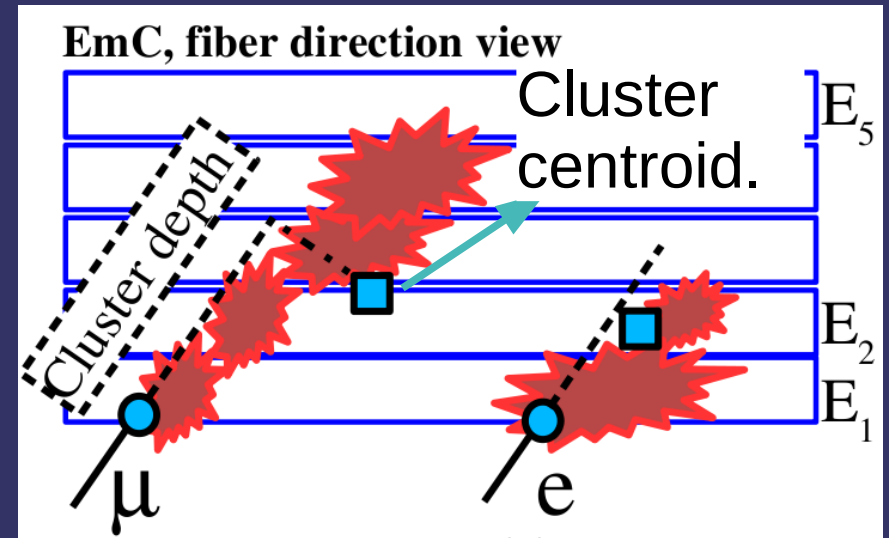
# PID capability $e/\mu$ discrimination

## Lepton flavor violation

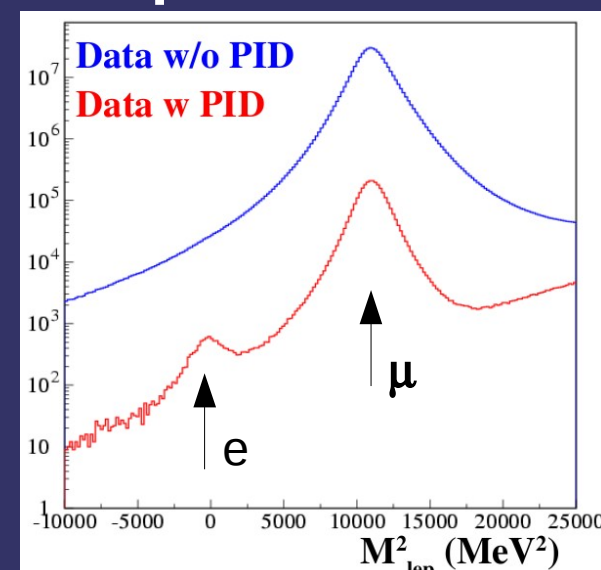
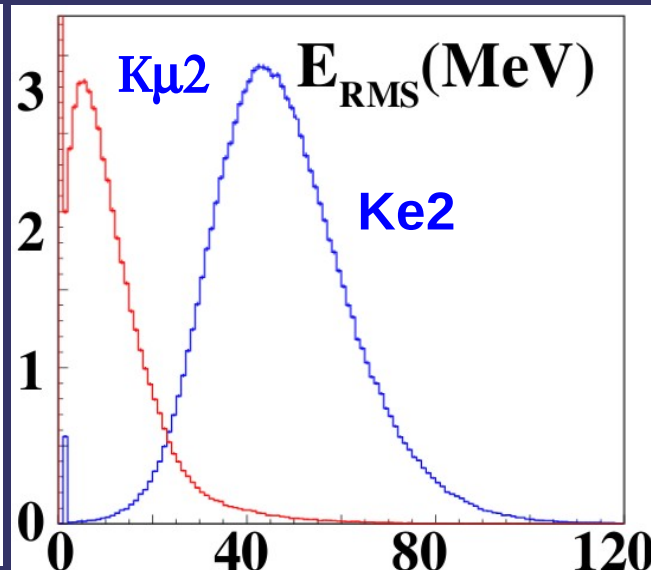
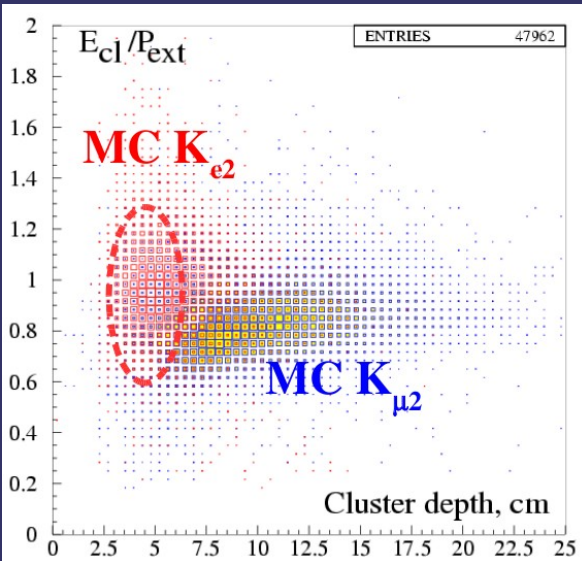
$$K^{\pm} \rightarrow e^{\pm} \nu / \mu^{\pm} \nu \sim 2.5 \times 10^{-5}$$

Cluster shaping variables exploring different interaction length in calorimeter.

$P_{\mu} < 500$  MeV (stop in calorimeter)



## Lepton mass



PID rejection power 100



# PID capability $\mu/\pi$ discrimination

Neural network construction using the following inputs:

$$\Delta T = T_{clu} - \frac{L_{trk} \sqrt{p_{trk}^2 + m_{\mu}^2}}{cp_{trk}}$$

Expected time in  $\mu$  hypothesis

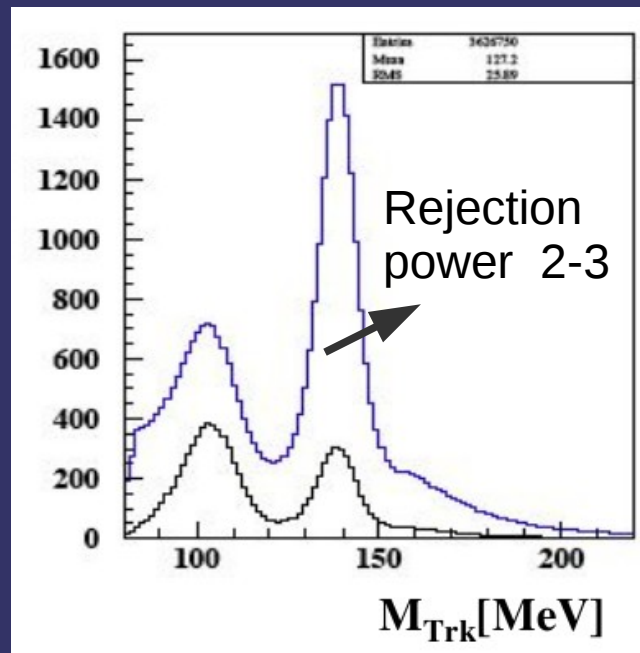
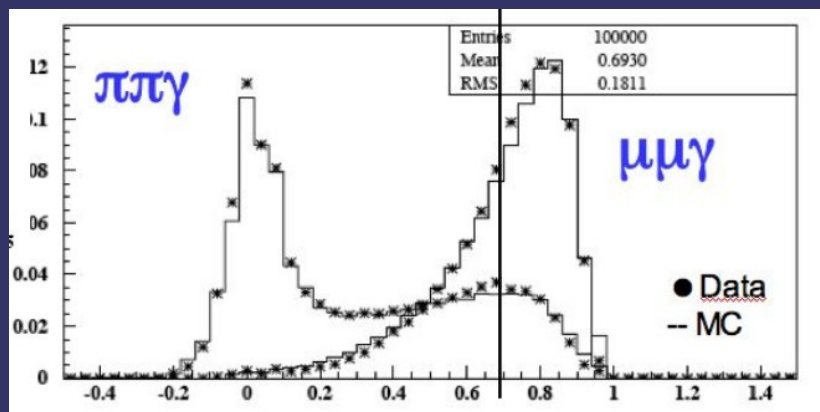
$$|\vec{r}_{clu} - \vec{r}_{ext}|$$

Expected cluster position in  $\mu$  hypothesis

$$\frac{E_{clu}}{\sqrt{p_{trk}^2 + m_{\mu}^2}}$$

Expected energy in  $\mu$  hypothesis

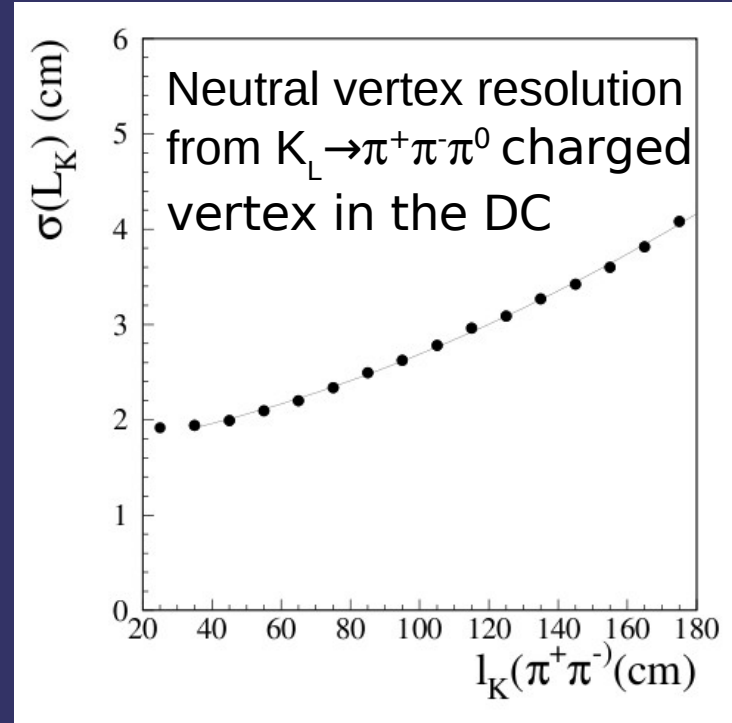
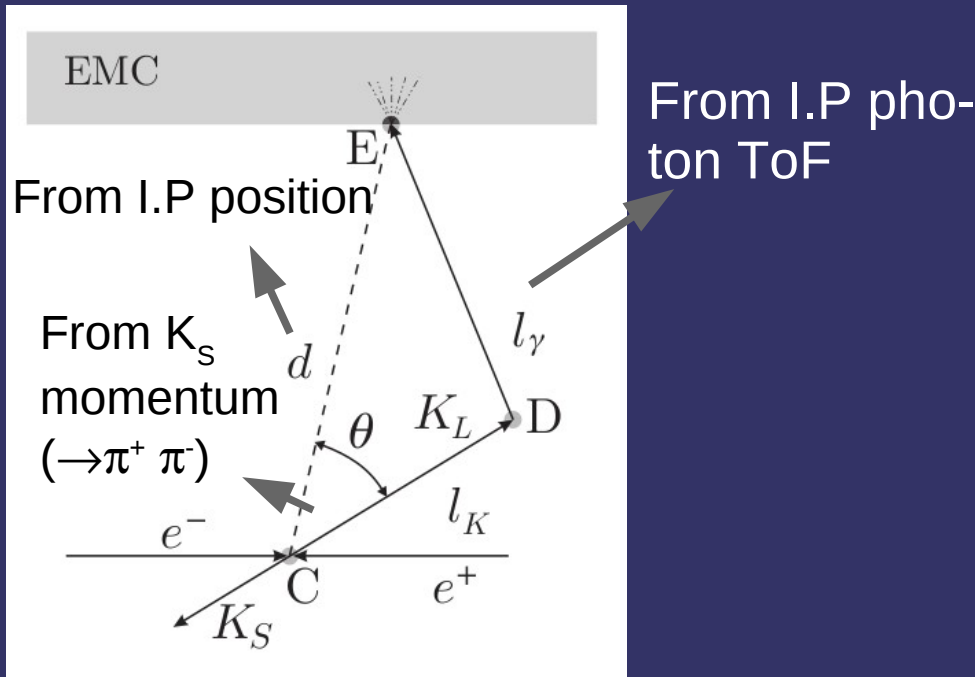
$e^+ e^- \rightarrow \mu^+ \mu^- \gamma / e^+ e^- \rightarrow \pi^+ \pi^- \gamma$



$M_{trk}$  from track momentum and 3 body kinematic in hypothesis of 0 missing mass.

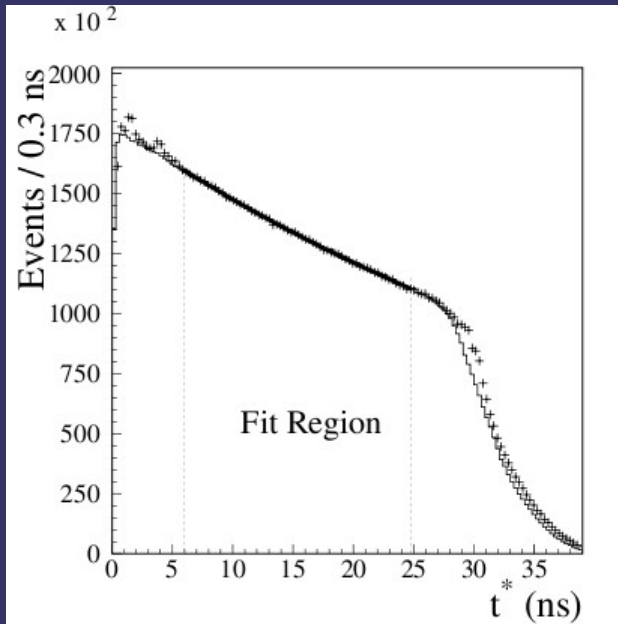


# Neutral vertex in $K_L \rightarrow 3\pi^0$



Proper time  $t^* = l_K / \beta\gamma$

From  $K_S$  momentum



$$\tau = 50.92 \pm 0.17_{\text{stat.}} \pm 0.25_{\text{syst.}} \text{ ns}$$

Calorimeter related systematics

- 50 ps Vertex correction
- 35 ps Absolute time scale



# *Conclusions and outlook*

- ⇒ Good performance of the detector above all for ToF measurement and  $e/(\mu,\pi)$  discrimination;
- ⇒ Improvements under studies for detector upgrade (KLOE-2) :
  - High quantum efficiency (possible implementation)
  - Higher granularity using Multi-anode (proof of concept).

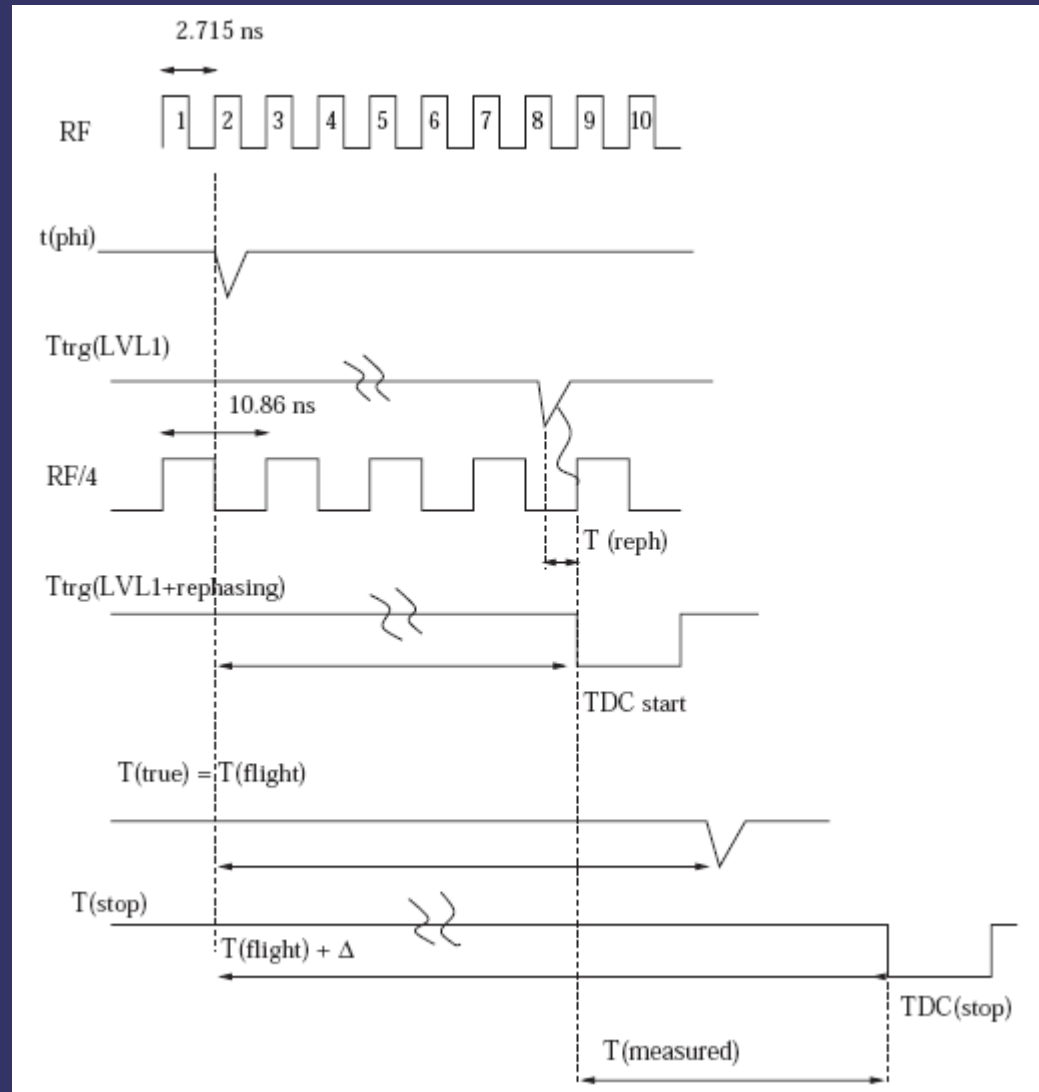


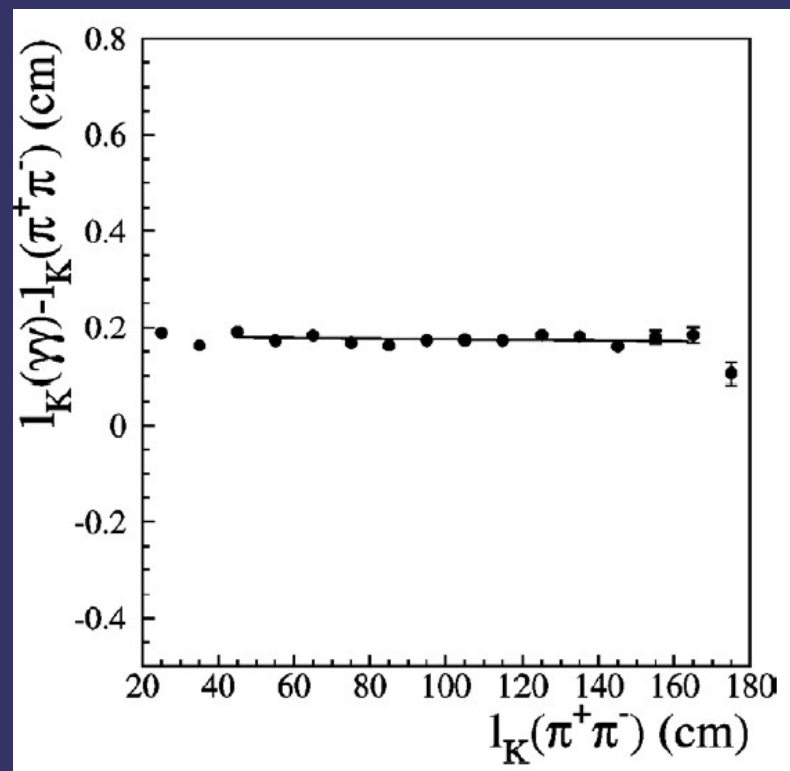
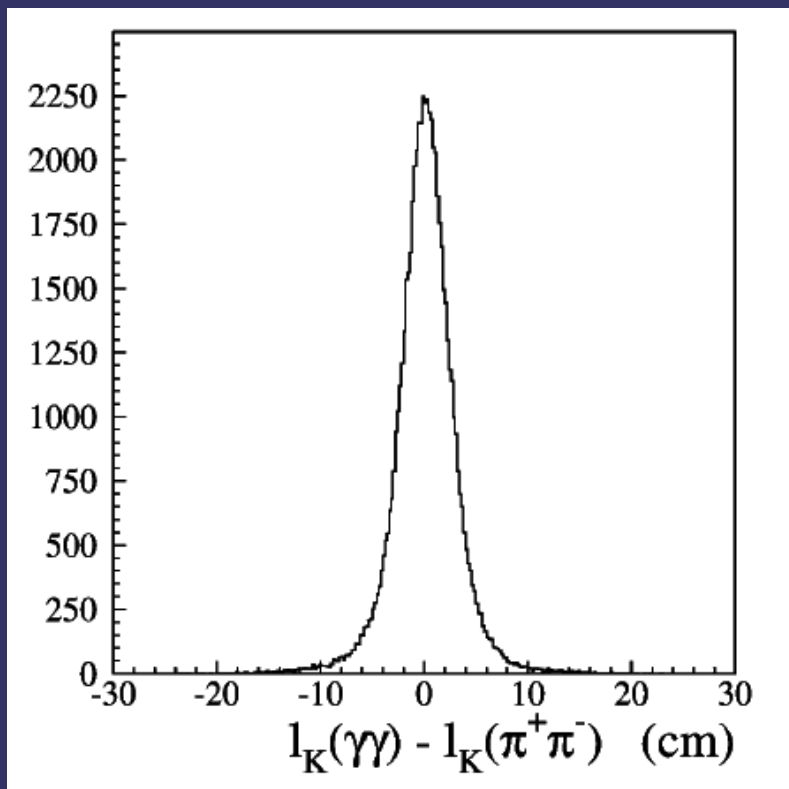
**спасибо**



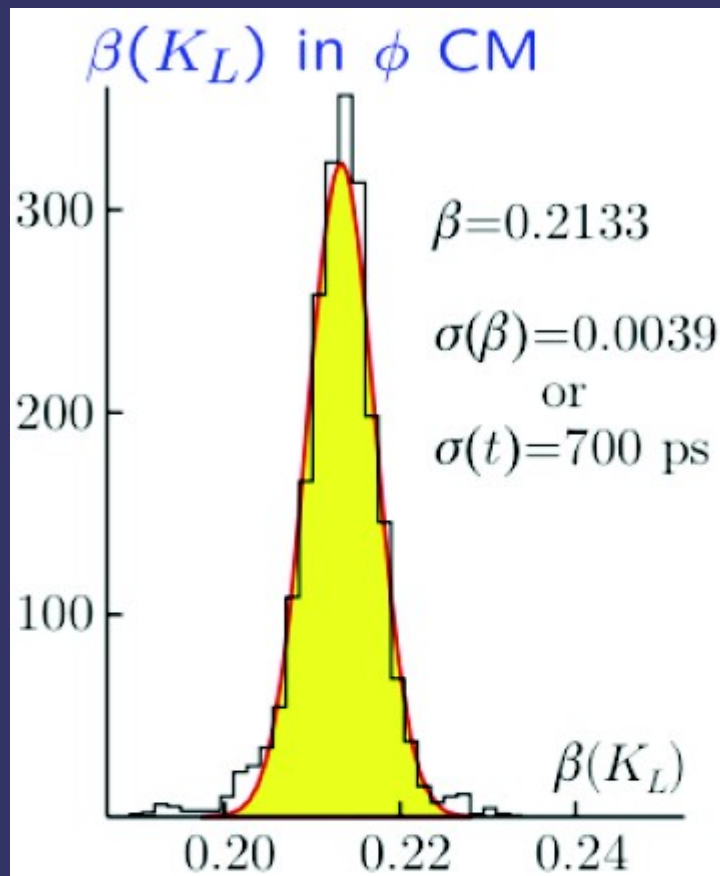
# Backup Slides





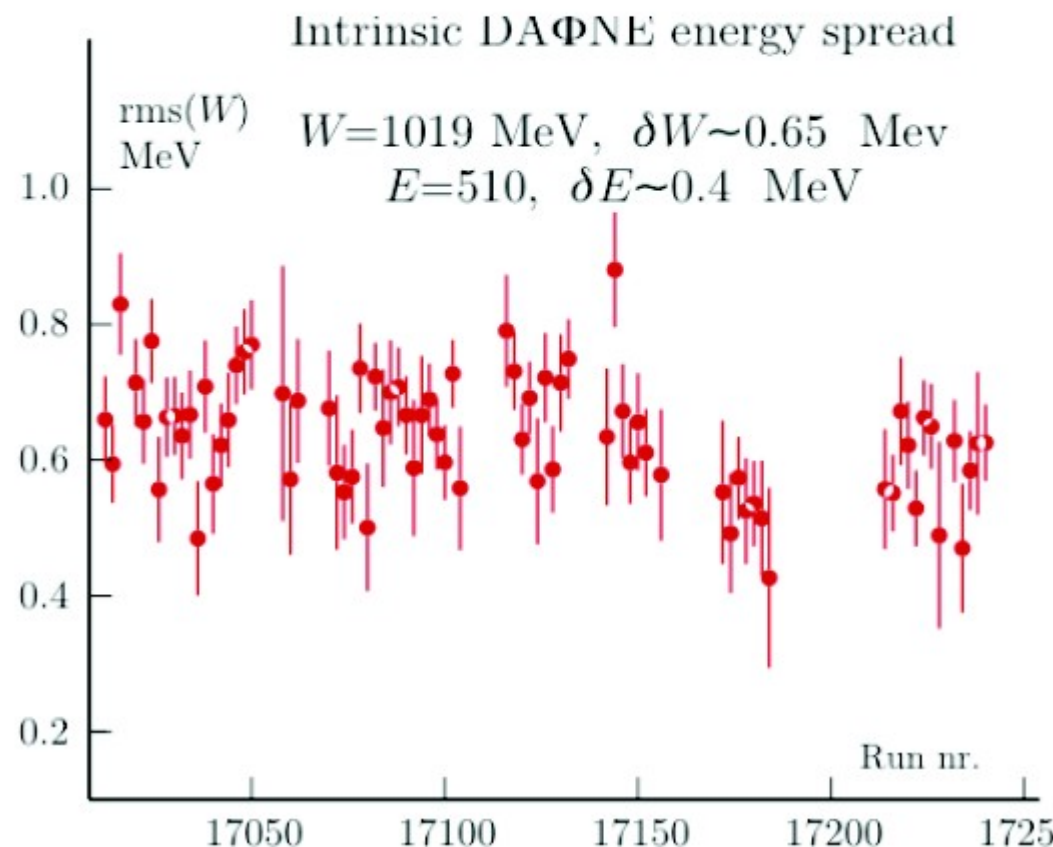






Reconstruction of  $\beta^*$  depends on the  $\phi$  boost. Its width measures the machine energy spread

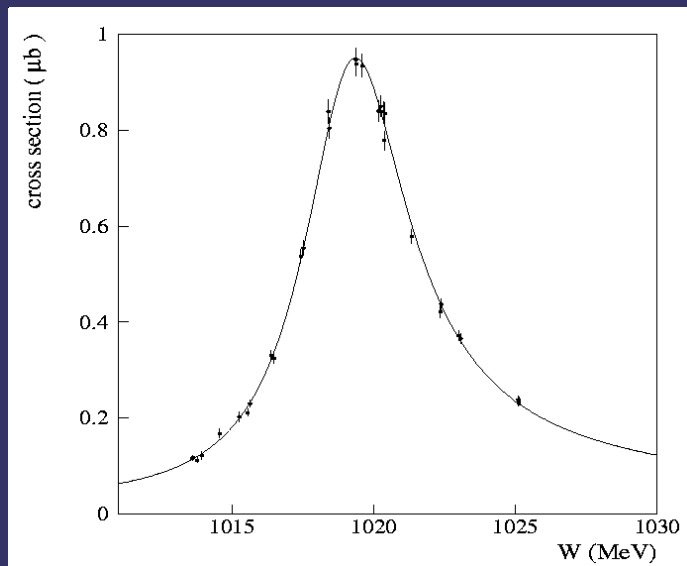
$$\delta E_\phi \sim 1 \text{ MeV} \Rightarrow \delta\beta^* \sim 0.004$$



# $\sqrt{s}$ absolute calibration

The  $\sqrt{s}$  is measured run by run using  $e^+e^- \rightarrow e^+e^-$  @  $\tau_\gamma > 50^\circ$   
 (~ 40,000 each 2h of data taking)

The absolute scale is determined fitting the  $e^+e^- \rightarrow K_s K_L$  cross section



The fit takes into account the ISR effect and the phase space factor of the KK couple.  
 The fitting function is the same used by CMD-2 at VEPP-2M.

**We obtain:**

**To compare with:**

$$m_\phi (\text{CMD-2}) = 1019.483 \pm 0.011 \pm 0.025 \text{ MeV}$$

$$m_\phi = 1019.329 \pm 0.011 \text{ MeV}$$

*Phys. Lett. B508, 217*

VEPP-2M very good knowledge of beam energies through resonant depolarization technique.

The ratio  $m_\phi (\text{CMD-2})/m_\phi (\text{KLOE})$  is used to set the absolute  $\sqrt{s}$  scale.



# ISR correction

The energy available for the  $\phi$  decay is lower than the  $e^+e^-$  beam energy.

It produces an important correction  $\Delta$  to the measured  $\eta$  mass.

The correction has been evaluated on MC and checked with DATA as a function of  $\sqrt{s}$

